

Exploring the 3D spin-1/2 system $\text{Y}_3\text{Cu}_2\text{Sb}_3\text{O}_{14}$ for possible QSL behaviour

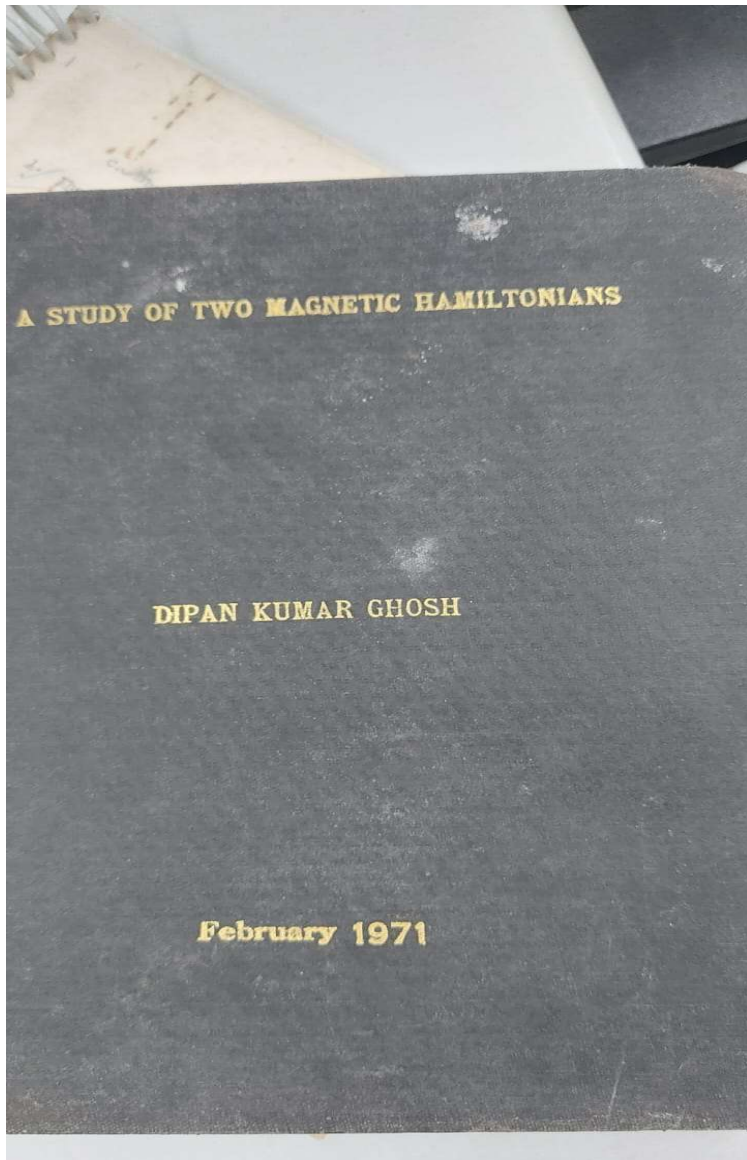
Avinash Mahajan
IIT Bombay



IIT Bombay



18-11-2025



Majumdar-Ghosh model

Prof. Ghosh retired about 20 years ago from the Physics dept at IIT Bombay

Acknowledgments

SERB-DST-CRG grant CRG/2021/003024

Experiments at the ISIS Neutron and Muon Source were supported by a beam-time allocation from the Science and Technology Facilities Council UK.



Chanakya Postdoctoral Fellowship



IIT Bombay Central Facilities

List of Collaborators



Dr. Saikat Nandi
IIT Bombay, India
Now at T.D. Lee Institute
Shanghai, China



Rounak Das
Indian Association for the
Cultivation of Science,
India



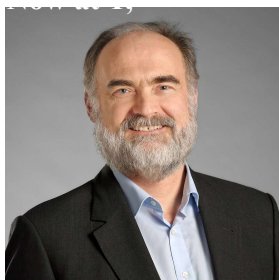
Prof. Indra Dasgupta
Indian Association for the
Cultivation of Science,
India



Dr. Jörg Sichelschmidt,
MPI for Chemical Physics
of Solids, Germany



Dr. John Wilkinson,
ISIS-STFC UK



Dr. Norbert Büttgen,
EP5, University of
Augsburg, Germany



Dr. Hans-Albrecht Krug von Nidda,
EP5, University of Augsburg, Germany

Dr. Mamoun Hemmida
EP5, University of
Augsburg, Germany

Marlis Schuller
EP5, University of
Augsburg, Germany



Sagar Mahapatra
IISER Pune, India

Dr. M. P. Saravanan
UGC-DAE CSR Indore,
India

Context and motivation for the current work

- The genesis of the field is perhaps in the exotic properties of quasi-1D Heisenberg AF systems
- Discovery of high- T_c in cuprates (already 40 years old!) reignited interest in 1D and 2D systems
- This then evolved into a focus on **frustrated** systems and an emergence of the field of Quantum Spin Liquids
- Current pursuit of QSL is through the routes of **bond anisotropy** and **geometric frustration**

Geometrical Frustration

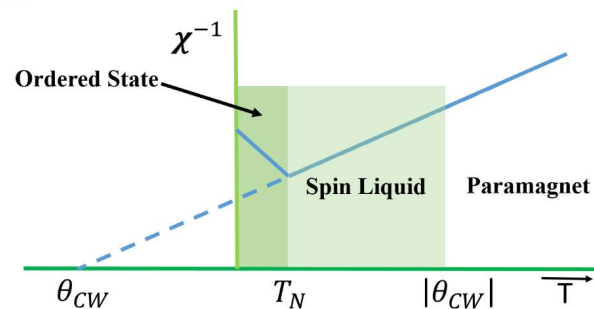
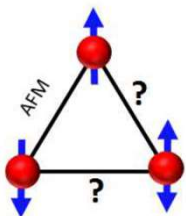
Anderson and
Fazekas
(1973)

Triangular lattice

$$S = \frac{1}{2}$$

Frustration parameter,

$$f = \frac{|\theta_{CW}|}{T_N}$$



Few examples:

(a) Triangular: $k\text{-(BEDT-TTF)}_2\text{Cu}_2(\text{CN})_3$, $\text{Sr}_3\text{CuSb}_2\text{O}_9$ and Y_2CuTiO_6 (b) Kagome: $\text{ZnCu}_3(\text{OH})_6\text{Cl}_2$ (c) Hyperkagome: $\text{Na}_4\text{Ir}_3\text{O}_8$ (d) Pyrochlore: $\text{Y}_2\text{Mo}_2\text{O}_7$, $\text{Ho}_2\text{Ti}_2\text{O}_7$

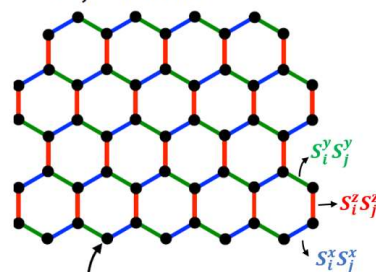
Leon Balents, *Nature* 464.7286 (2010), pages 199–208.

Bond-anisotropy driven frustration

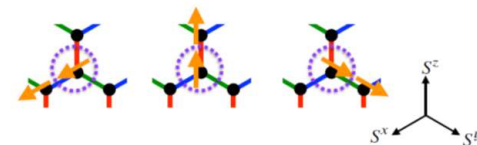
Alexei Y. Kitaev
(2006)

$$\mathcal{H} = -J_x \sum_{\langle ij \rangle_x} S_i^x S_j^x - J_y \sum_{\langle ij \rangle_y} S_i^y S_j^y - J_z \sum_{\langle ij \rangle_z} S_i^z S_j^z$$

Honeycomb lattice



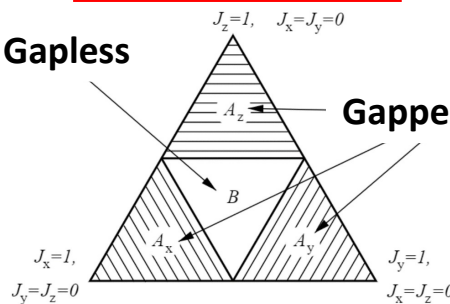
● Bond-dependent interaction



Kitaev Ground State

Gapless

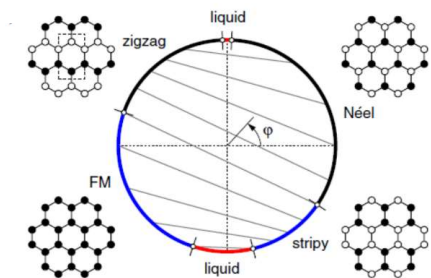
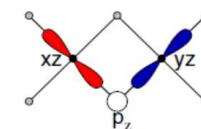
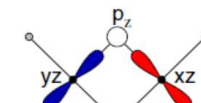
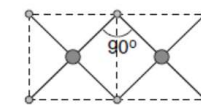
Gapped



Excitations:

1. Z_2 flux (localized Majorana)
2. Itinerant Majorana Fermions

Heisenberg-Kitaev Model



Few examples:

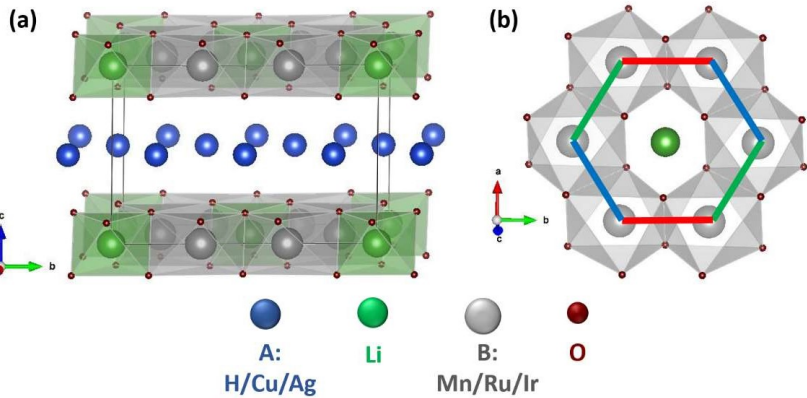
(a) Honeycomb: $\alpha\text{-RuCl}_3$ (KQSL above 8 Tesla), $\text{H}_3\text{LiIr}_2\text{O}_6$ and more recently $(\text{H,Li})_6\text{Ru}_2\text{O}_6$

Our work on honeycomb systems



2D Layered Quantum Materials

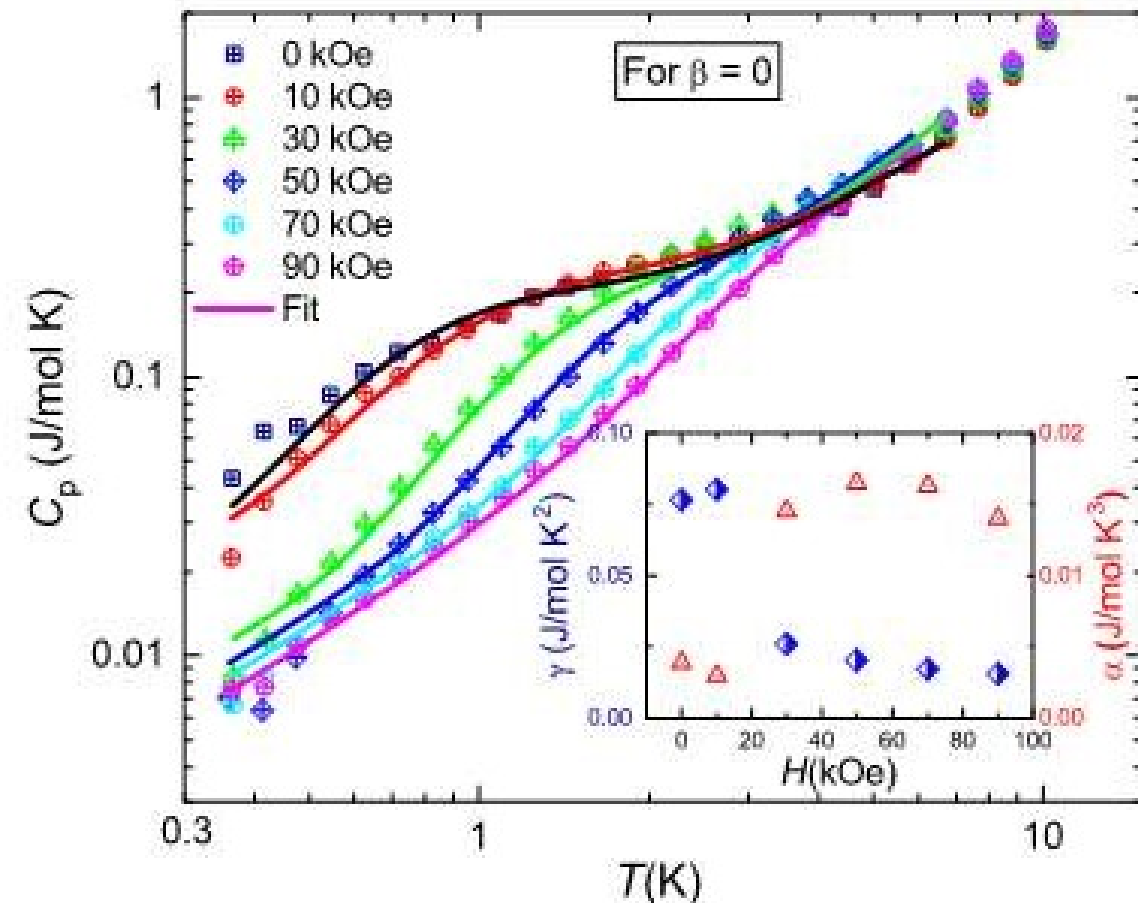
Kitaev Honeycomb



Space Group: C2/m

Compounds \ Lattice parameters	a (Å)	b (Å)	c (Å)	β (°)
$Ag_3LiIr_2O_6$ (Ir^{4+} , $J_{eff}=1/2$)	5.27(7)	9.13(6)	6.49(3)	106.0(1)
(*) $Ag_3LiIr_{1.4}Ru_{0.6}O_6$ (Ir^{4+} , $J_{eff}=1/2$ and Ru^{4+} , $S=1$)	5.26(1)	9.11(0)	6.50(1)	105.9(1)
$Ag_3LiRu_2O_6$ (Ru^{4+} , $S=1$)	5.22(4)	9.04(5)	6.51(0)	105.5(1)
$Ag_3LiMn_2O_6$ (Mn^{4+} , $S=1$)	5.06(9)	8.78(6)	6.37(5)	105.0(6)
(*) $Cu_3LiRu_2O_6$ (Ru^{4+} , $J_{eff}=1$)	5.18(2)	8.92(6)	6.05(2)	106.5(9)
(*) $H_{5.9}Li_{0.1}Ru_2O_6$ (Ru^{3+} , $J_{eff}=1/2$)	5.09(1)	8.92(0)	5.01(1)	107.2(0)
$H_3LiIr_2O_6$ (Ir^{4+} , $J_{eff}=1/2$)	5.34(8)	9.24(3)	4.87(3)	111.4(4)

1. $Ag_3LiRu_2O_6$, PRB **99**, 054417 (2019)
2. $Ag_3LiMn_2O_6$, PRB **99**, 144429 (2019)
3. $Ag_3LiIr_2O_6$, PRB **104**, 115106 (2021)
4. $(H, Li)_6Ru_2O_6$, PRB Letters **110**, L241102 (2024)
5. $Cu_3LiRu_2O_6$, PRB Letters **111**, L100403 (2025)
6. Ru-doped $Ag_3LiIr_2O_6$, PRB **112**, 035142 (2025)



Experimental data

$$C_p = \gamma T + \alpha T^2 + \beta T^3 + C_{Schottky}$$

Theory

In a DSL ansatz

$$\frac{C(T)}{k_B} \approx 2.292 \frac{(k_B T)^2}{J^2} + 0.696 \frac{(k_B T) \left(\frac{g \mu_B |H|}{2} \right)}{J^2}$$

$J/k_B = 51$ K

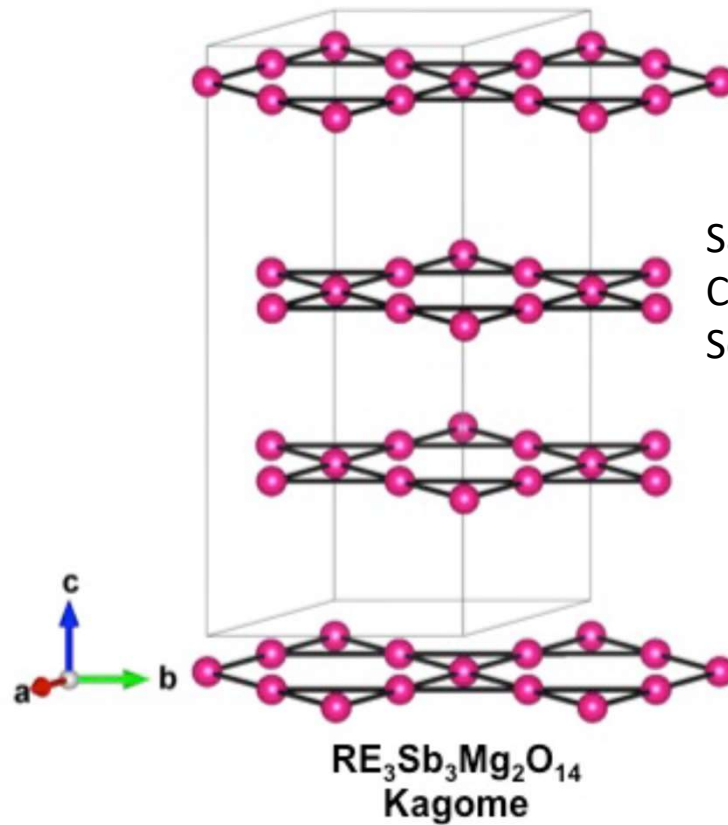
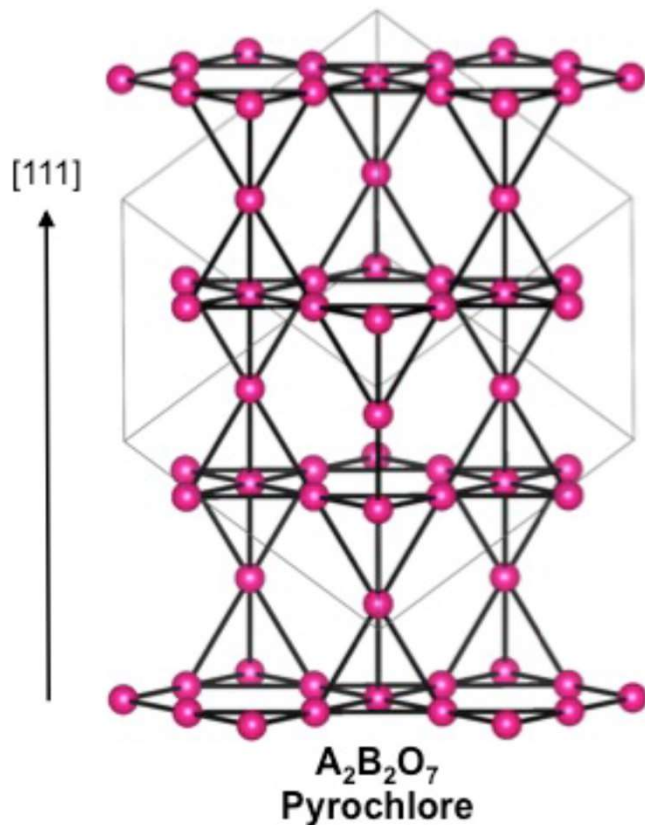
$\text{Sr}_3\text{CuSb}_2\text{O}_9$ TLAF

S. Kundu et al. PRL **125**, 267202 (2020)

Y_2CuTiO_6 TLAF

S. Kundu et al. PRL **125**, 117206 (2020)

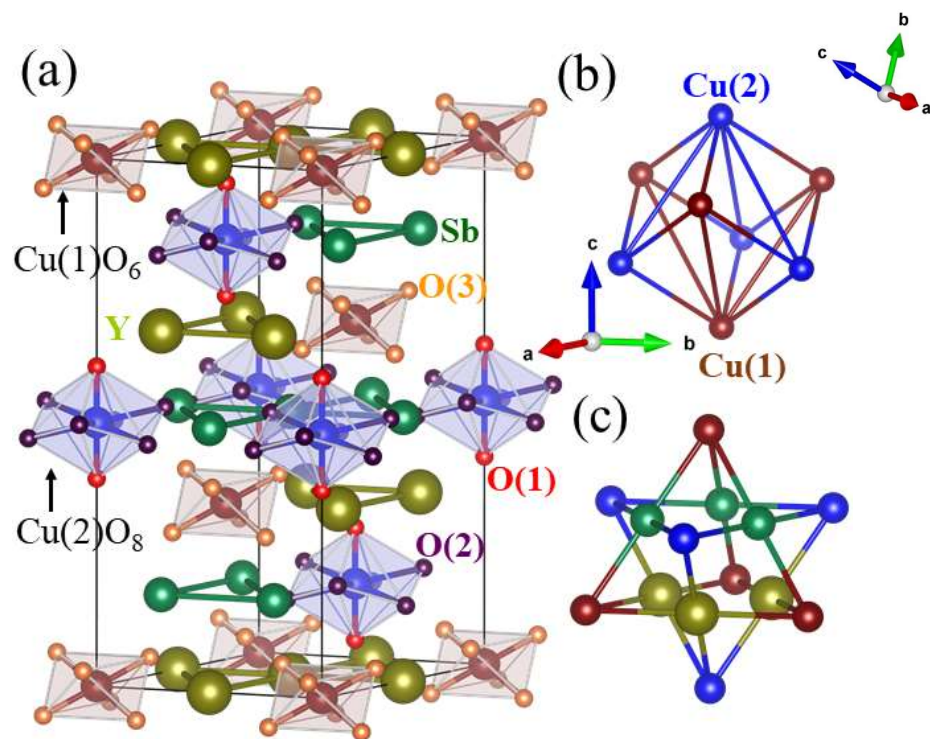
- The focus of this talk is on a geometrically frustrated system



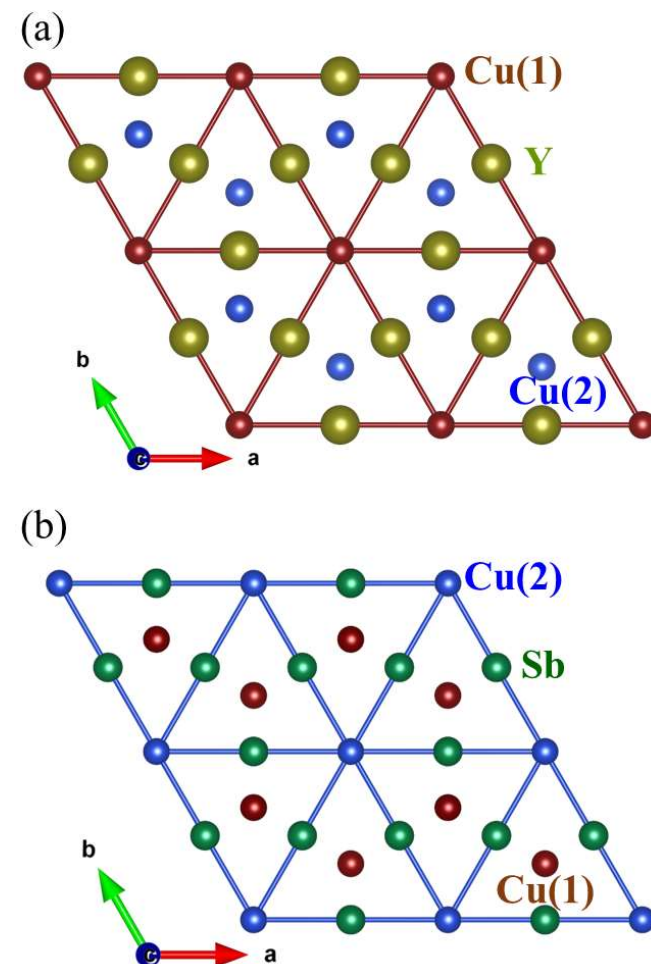
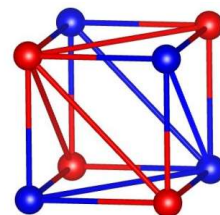
Sanders et al. and
Cava Physica Status
Solidi, 2016

RE = La, Pr, Sm, Eu, Tb, Ho

Y₃Cu₂Sb₃O₁₄ (YCSO)



Crystal structure consisting Cu(1)O₆ octahedra and Cu(2)O₈ hexagonal bipyramids



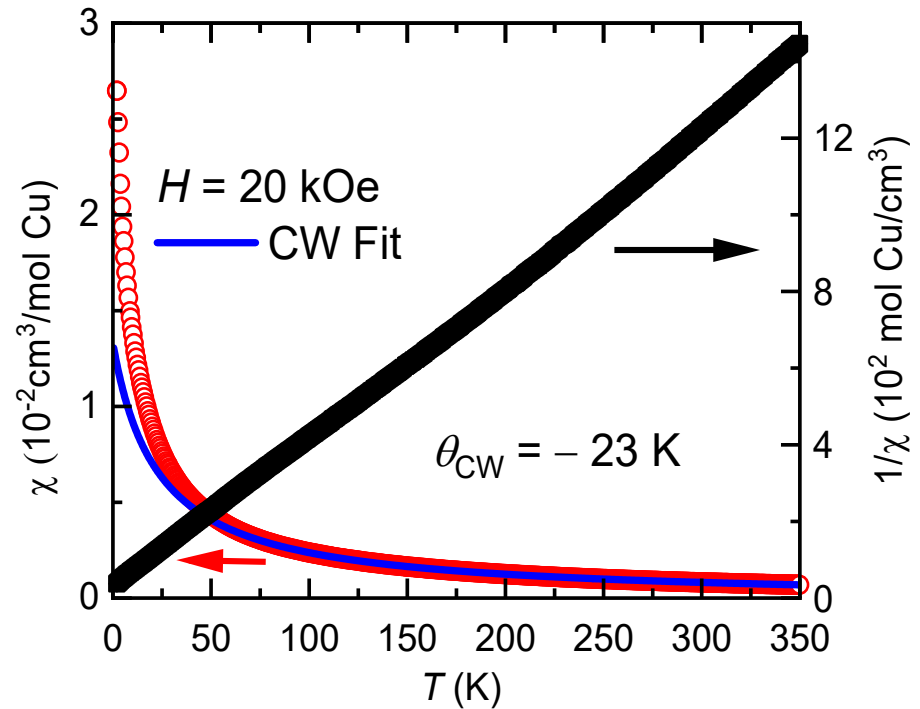
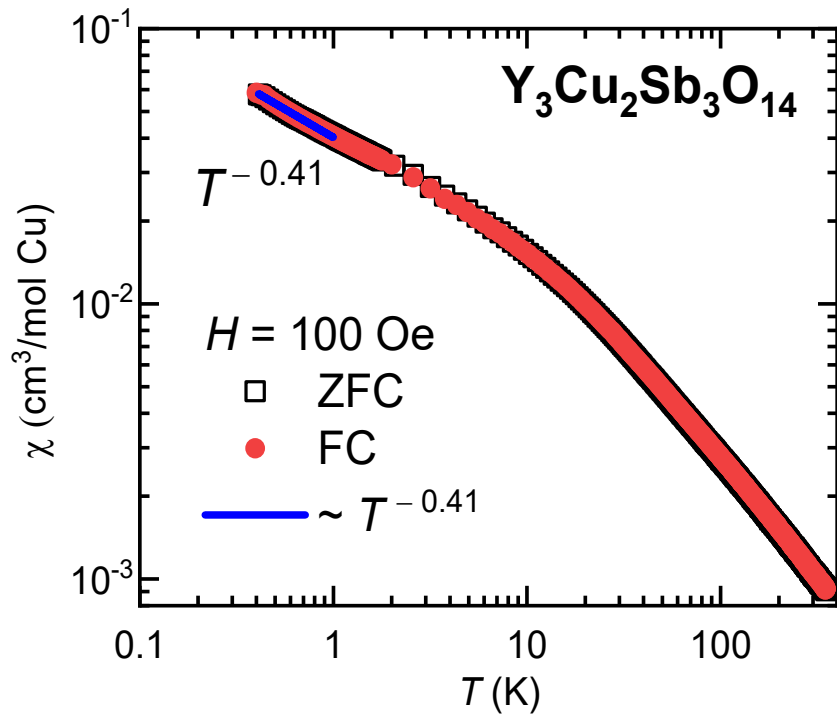
Triangular lattices formed by (a) Cu²⁺(1) and (b) Cu²⁺(2) ions in the *ab* plane. The position of in-plane Y³⁺ and Sb⁵⁺ are also shown. Each Cu(2) site is centred in equilateral Cu(1) triangles in adjacent layers, and the same valid for Cu(1) sites.

So, what are the properties of $\text{Y}_3\text{Cu}_2\text{Sb}_3\text{O}_{14}$?

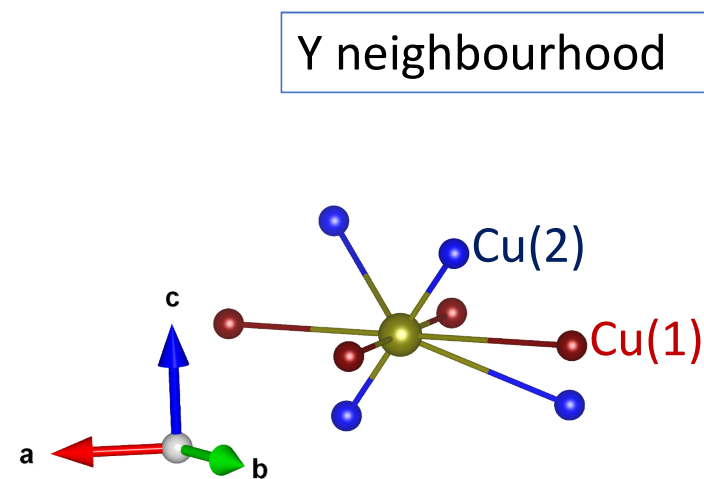
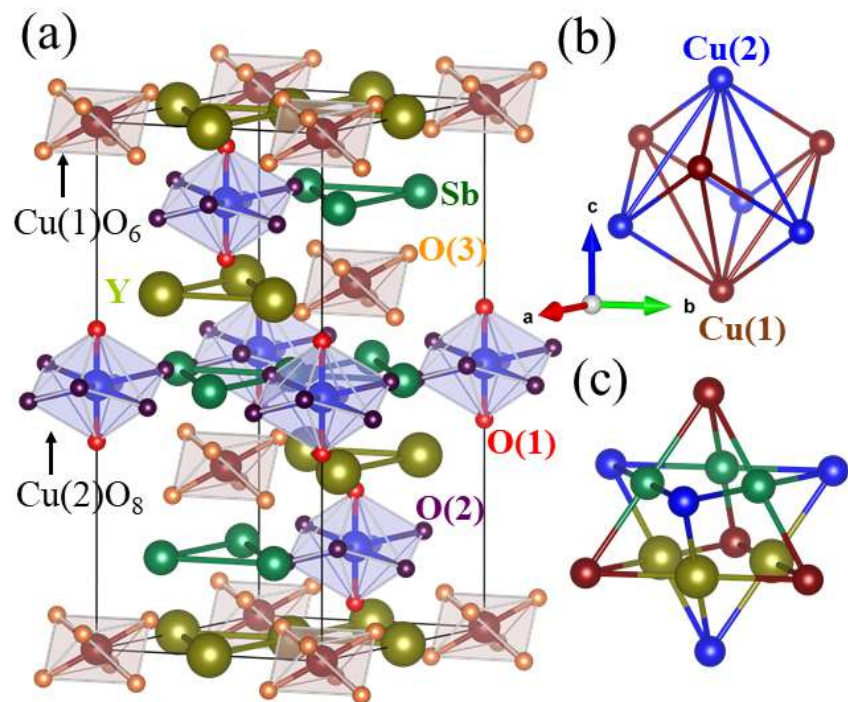
We have done a comprehensive investigation

- Magnetisation/susceptibility
 - ^{89}Y nuclear magnetic resonance (NMR)
 - Electron spin resonance (ESR)
 - Muon spin relaxation (μSR)
 - Specific heat
-
- First principle electronic structure calculations through Density Functional Theory

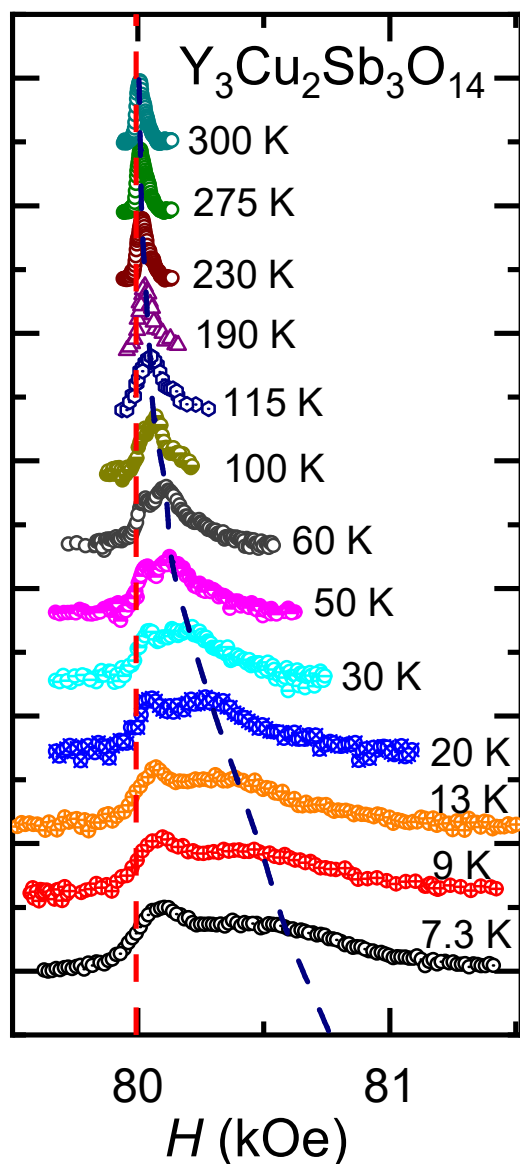
Susceptibility



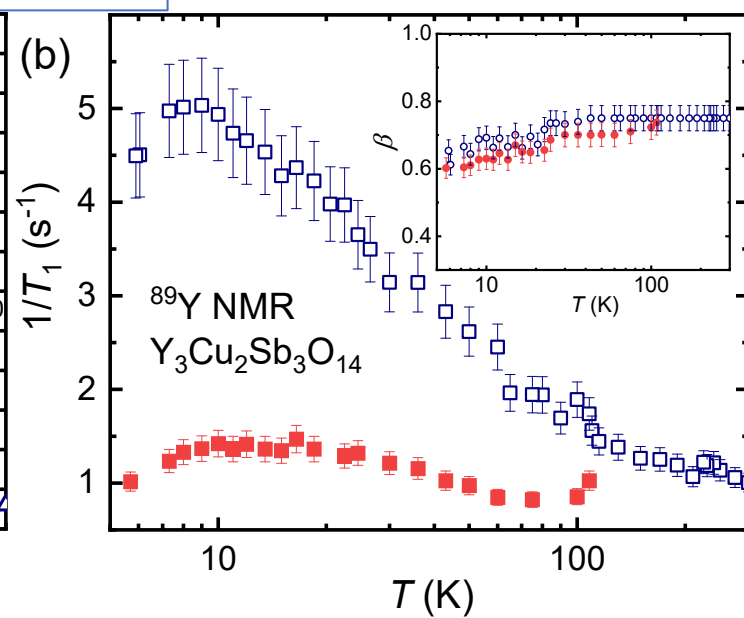
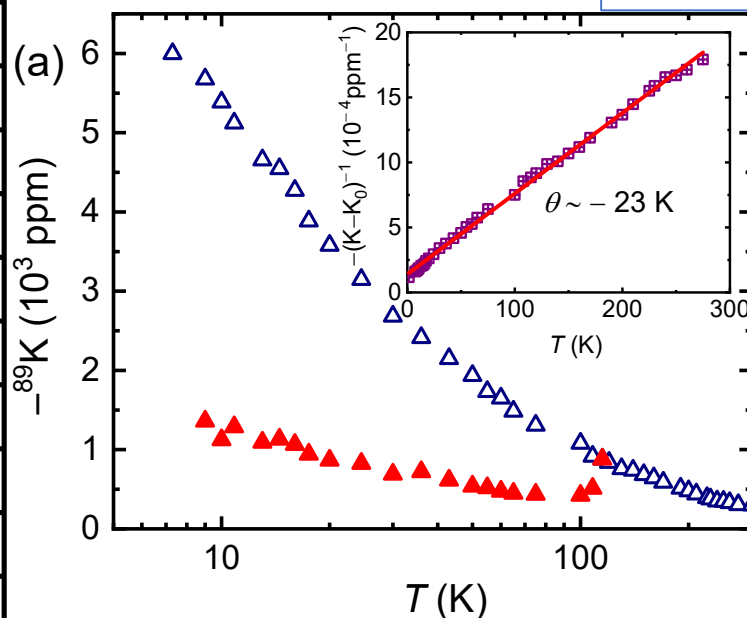
- $\mu_{\text{eff}} = 1.57 \mu_B$ which is somewhat smaller than the $1.73 \mu_B$ expected for Cu^{2+}
- No bifurcation between the ZFC and FC susceptibility, $\chi(T)$.
- No clear indication of any long-range magnetic ordering is observed down to 0.4 K.



Intensity (arb. units)

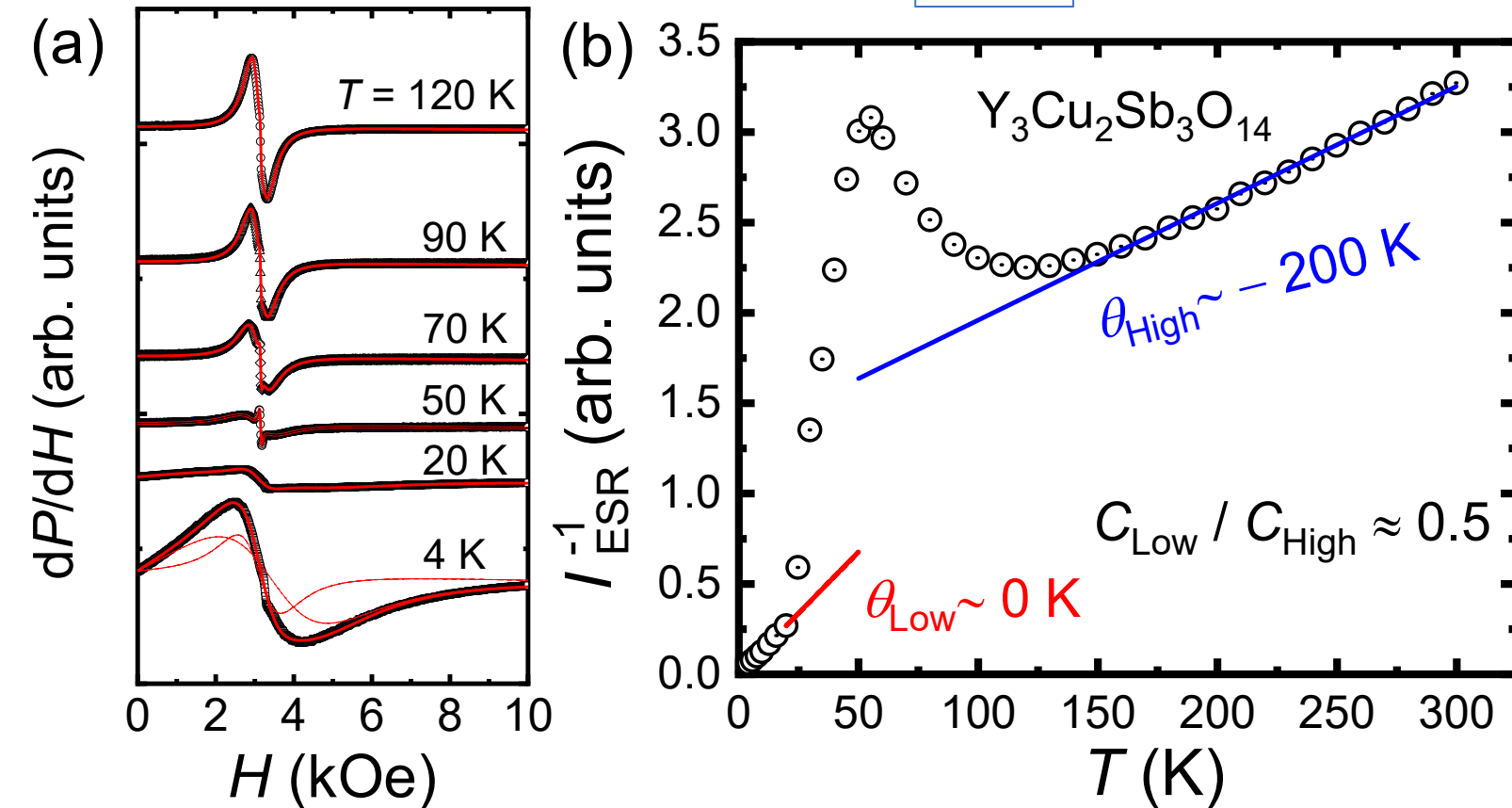


^{89}Y NMR



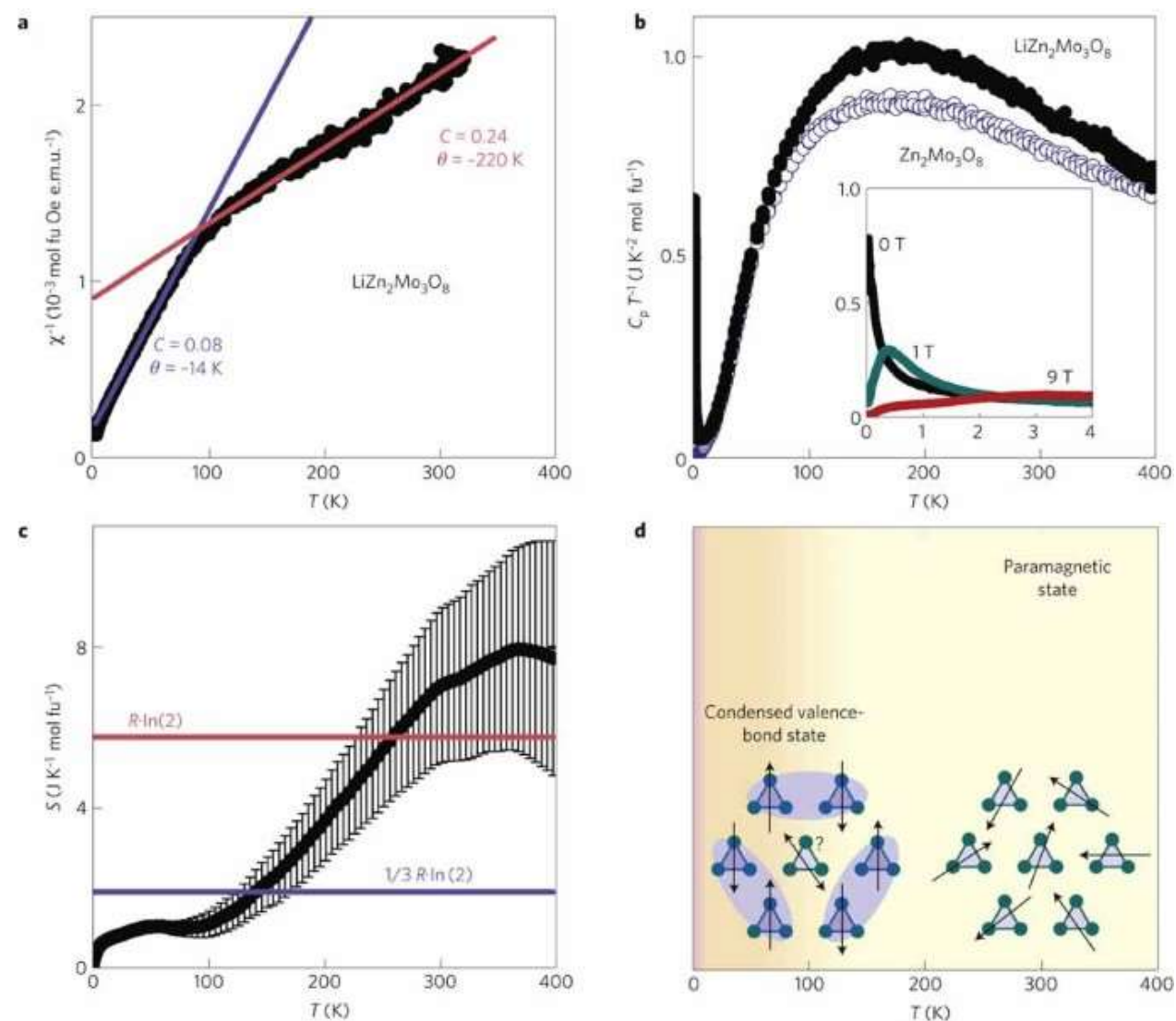
^{89}Y NMR we find evidence of a transition at about 120 K which we suggest arises from a fraction of the spins condensing into a singlet (a valence bond solid or perhaps a spin liquid) state. While the remaining spins also condense into a QSL state below 1 K.

ESR



Note that at high-T signal arises from only about 20% of the spins

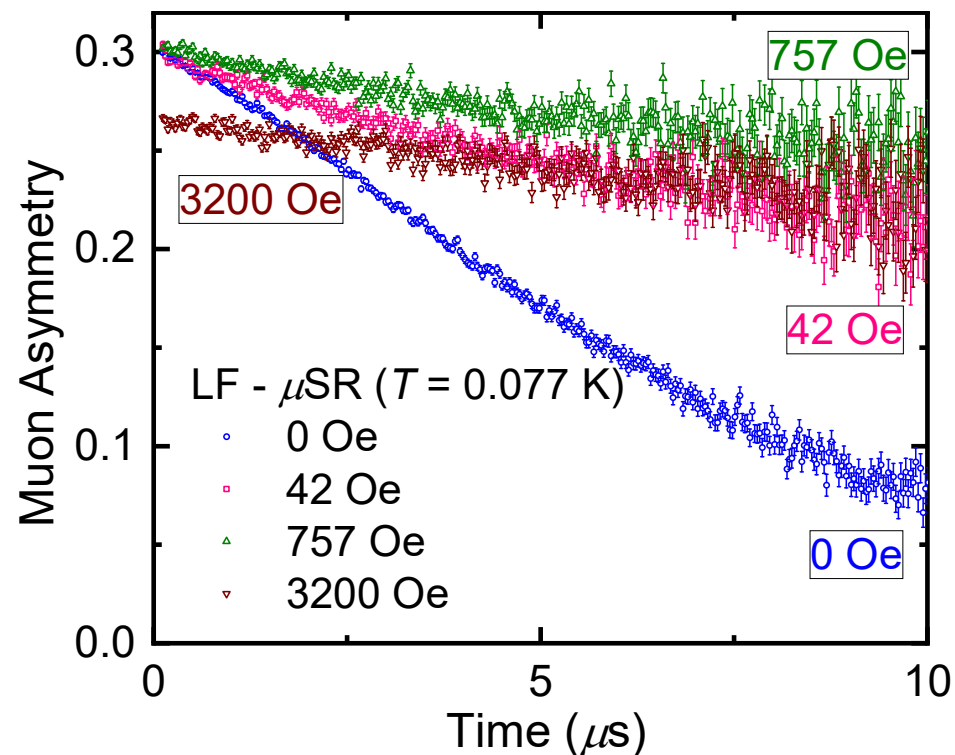
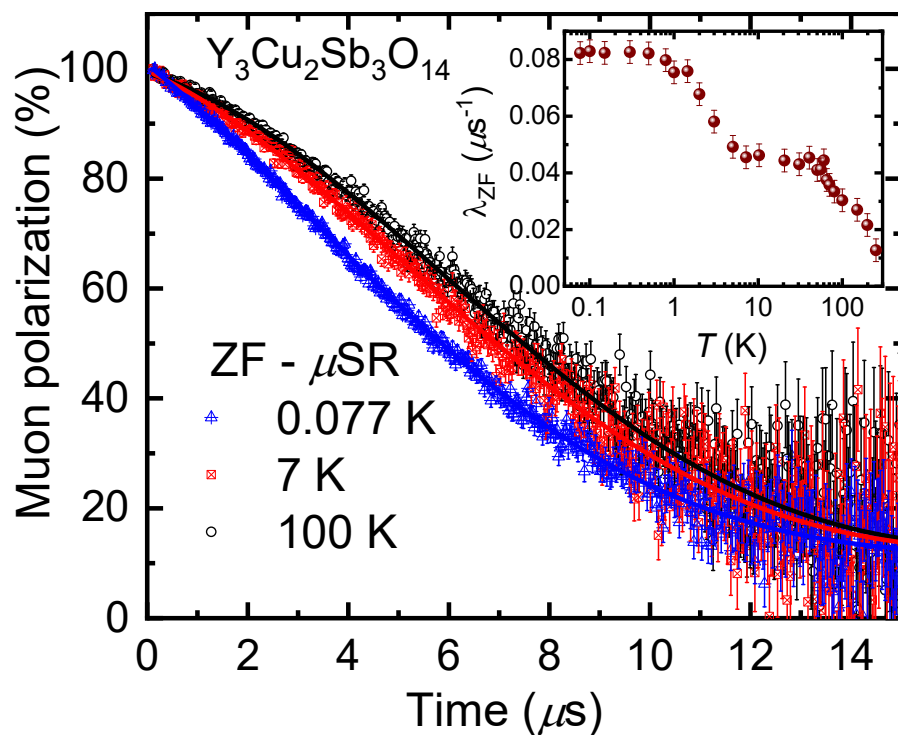
- On cooling down through 120 K, the ESR spectra split off into two signals. Collaborator: J. Sichelschmidt, MPI- Dresden
M. Hemmida, H.-A. Krug von Nidda, University of Augsburg
- The temperature dependence of I_{ESR}^{-1} (I_{ESR} = integrated ESR intensity) follows a CW law and from fits in the high-T and low-T regions, we find that the Curie constant at low-T reduces to about one-half of the high-T value.



$\text{LiZn}_2\text{Mo}_3\text{O}_8$

Schekelton et al. Nature Materials
2012

The spins on the vertices of the hexagon condense into a VBS state below about 96 K while the centre spin remains paramagnetic

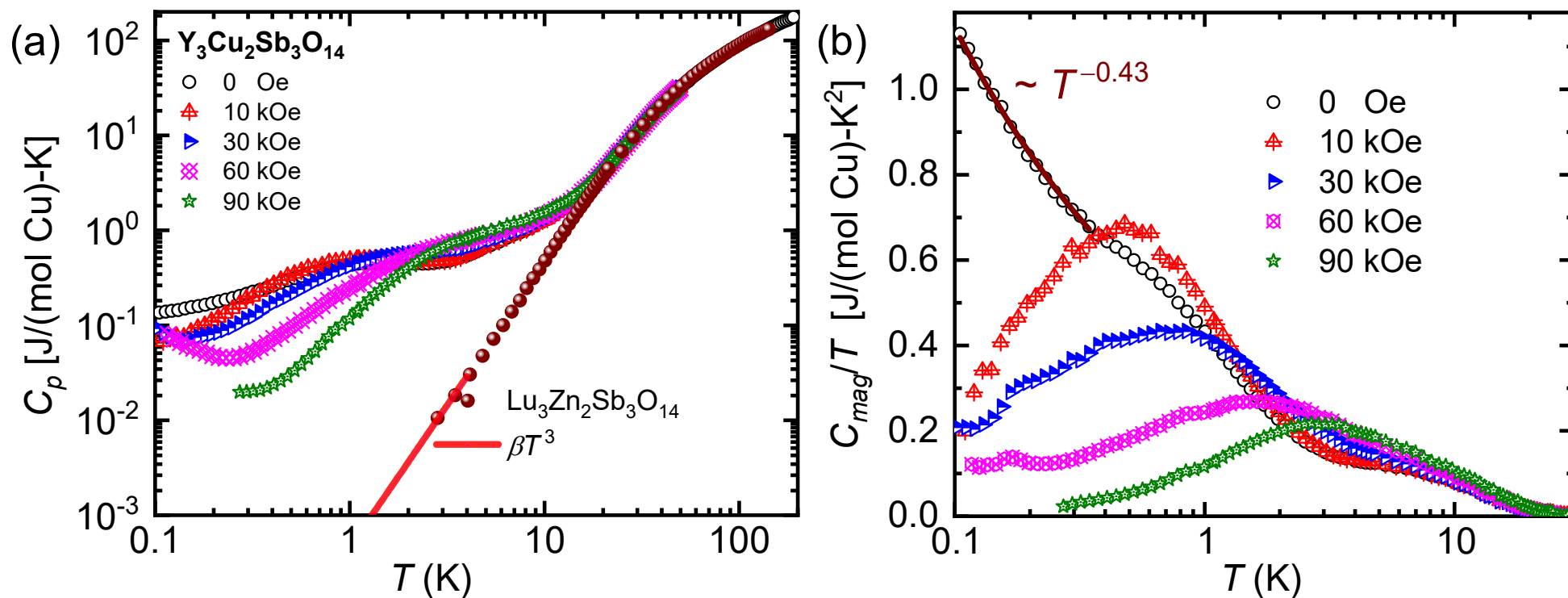


We do not observe oscillations in muon asymmetry spectra at temperatures down to 77 mK.

The ZF-μSR spectra are described by the Gaussian Kubo-Toyabe function $G_{KT}(\sigma, t)$ multiplied by an exponential function, with the relation $A(t) = A_1 e^{-\lambda_{ZF} t} G_{KT}(\sigma, t) + A_{BG}$.

We do not observe any decoupling behavior under the 3200 LF at $T = 0.077$ K

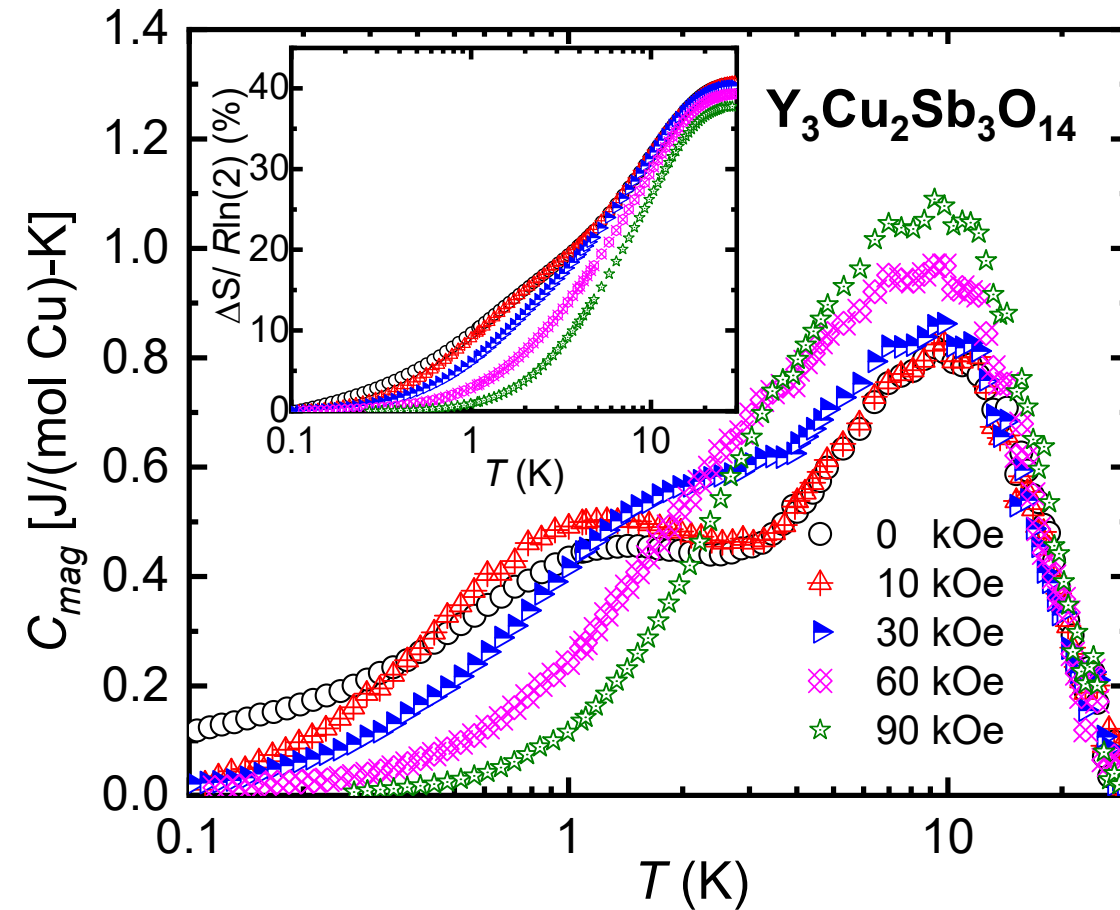
Heat Capacity



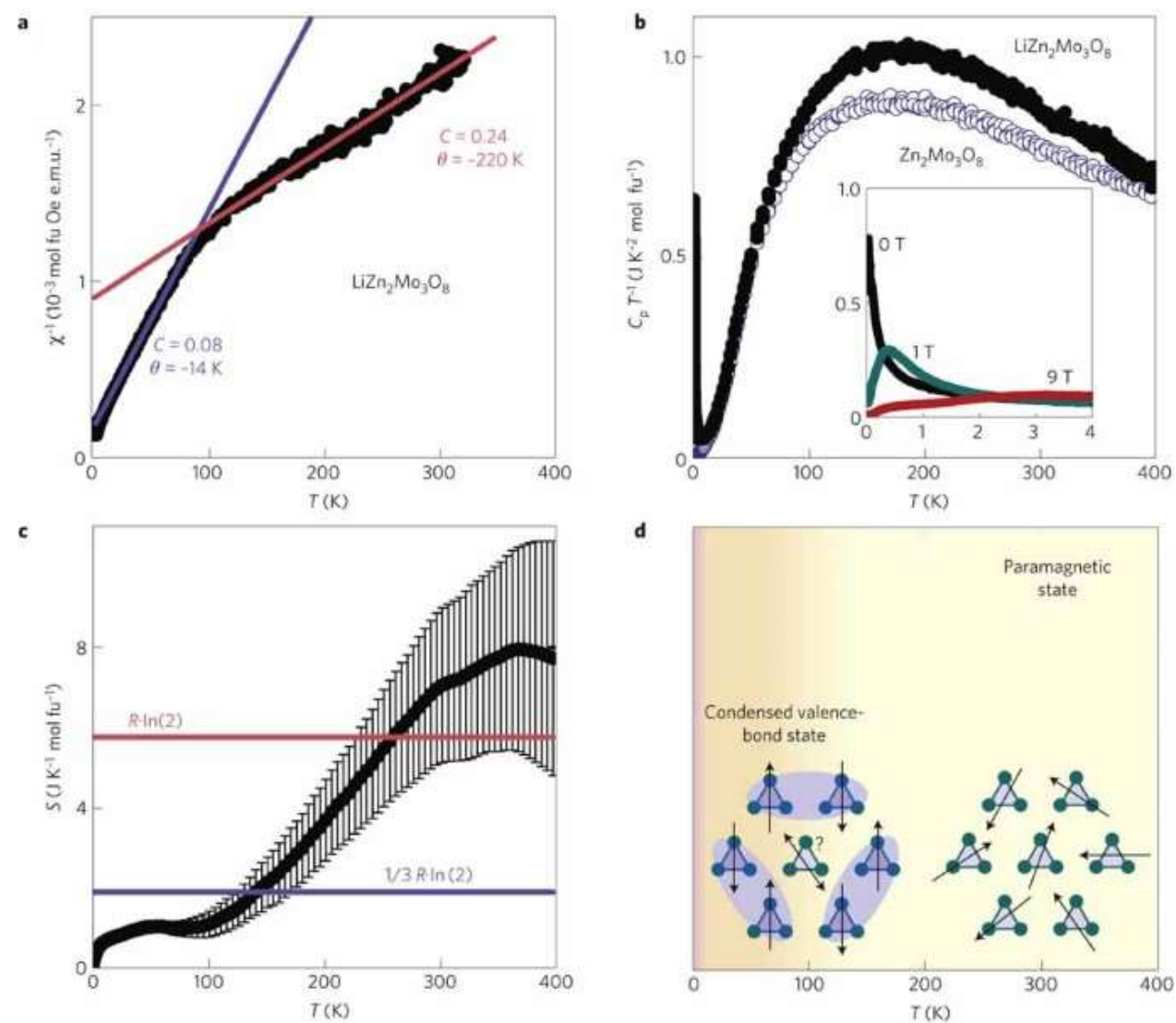
C_{mag} shows no evidence for a transition to magnetic long-range order down to 0.1 K.

The zero field C_{mag}/T vs T data shows a power law behaviour ($T^{-\alpha}$) with an exponent $\alpha = 0.43$ at low temperatures, possibly related to random singlets.

Heat Capacity



- Two step entropy release
- Close to 40 % of the entropy (compared to $R \ln 2$) is recovered by about 20 K.

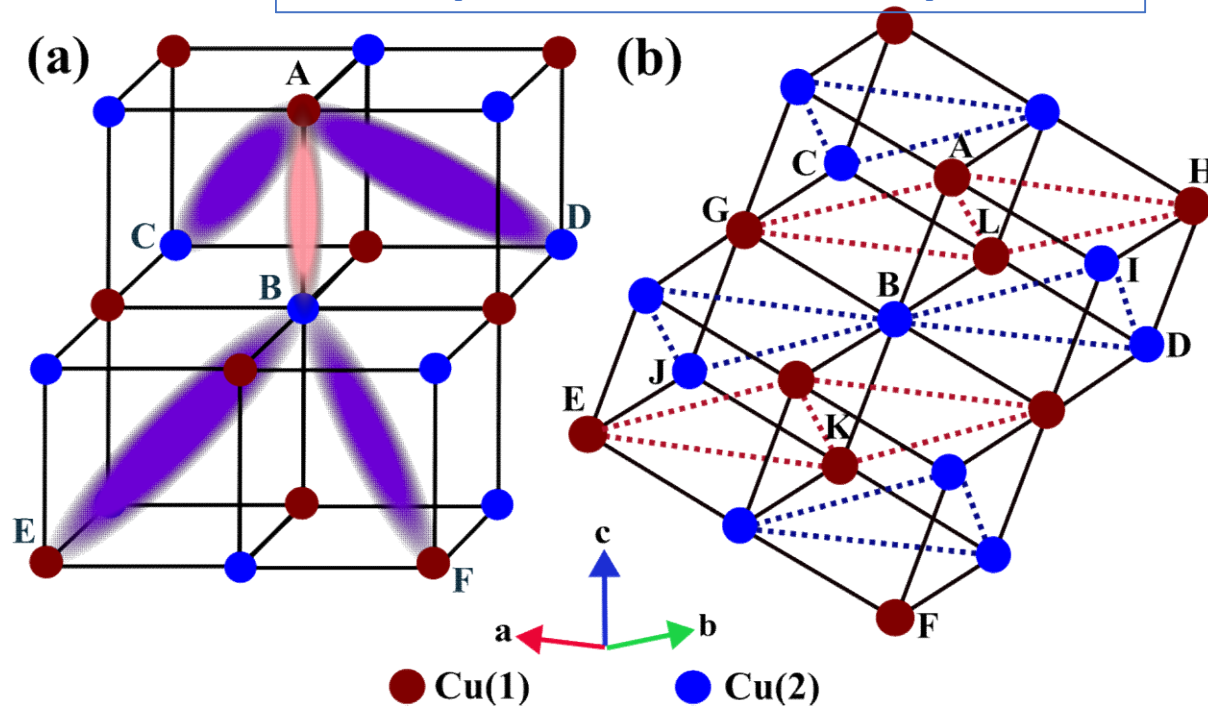


$\text{LiZn}_2\text{Mo}_3\text{O}_8$

Schekelton et al. Nature Materials
2012

The spins on the vertices of the hexagon condense into a VBS state below about 96 K while the centre spin remains paramagnetic

Density Functional Theory results



Collaborator: Rounak Das, Indra Dasgupta,
Indian Association for the Cultivation of Science

TABLE I. Exchange parameters along the body diagonals.

J	Cu-Cu distance ($\text{\AA}$)	Exchange Parameter (meV)
J_{AC}	9.01	3.6
J_{AD}	9.01	4.6
J_{BE}	9.01	3.6
J_{BF}	8.58	3.0
J_{AB}	5.14	0.2

TABLE II. Exchange parameters along the face diagonals or in the Cu(1) planes and Cu(2) planes.

J	Cu-Cu distance ($\text{\AA}$)	Exchange Parameter (meV)
J_{AH}	7.40	2.2
J_{AL}	7.40	1.6
J_{HL}	7.40	1.5
J_{BI}	7.40	2.0
J_{ID}	7.40	2.1
J_{BD}	7.40	1.7

- The dominant exchange interactions are along the body diagonals of the cube, forming dimers where the inter-dimer exchange interaction (J_{AB}) is negligible compared to the intra-dimer exchange interactions. This opens up the possibility for the formation of VBS within our system.
- The antiferromagnetic interaction along the face diagonal of the cube forming a triangular network for Cu(1) and Cu(2) introduces frustration and prohibits long-range ordering

Conclusions

- ❑ $\text{Y}_3\text{Cu}_2\text{Sb}_3\text{O}_{14}$ is a **3D** spin-1/2 QSL and is not found to order down to 77 mK.
- ❑ ^{89}Y NMR we find evidence of a transition at about 120 K which we suggest arises from a fraction of the spins condensing into a singlet (a valence bond solid or perhaps a spin liquid) state. While the remaining spins also condense into a QSL state below 1 K.
- ❑ Similar behavior (though with only the high-temperature transition) has been seen in $\text{LiZn}_2\text{Mo}_3\text{O}_8$ which is 2D system while ours is a 3D system.
- ❑ A plateau in the muon relaxation rate is observed between 60 K and 10 K (signifying the VBS/QSL state from a fraction of the spins) followed by an increase and another plateau below about 1 K (presumably signifying the VBS/QSL state from all the spins).
- ❑ Our DFT calculations find a dominant AF interaction along the body diagonal with inequivalent Cu(1) and Cu(2) ions alternately occupying the corners of the cube. All other near neighbour interactions between the Cu ions are also found to be antiferromagnetic and are thought to drive the frustration.

Thank You